Homework 6: ECE 4370, Fall 2012

Due 11/8/2012

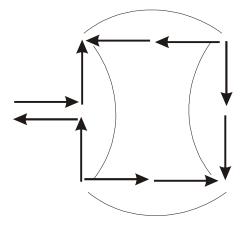
 How many turns of a helical antenna are required to achieve a peak gain of 13 dBi, given standard construction parameters of 1-wavelength circumference and a 13-degree pitch angle? What is the half-power beamwidth for such an antenna?

Peak Directivity = $15 N C^2 S/\lambda^3 = 15 N \tan \alpha = 13 \text{ dBi}$

This occurs for approximately N = 6.

The HPBW would be $52 \lambda^{3/2} / C / (NS)^{1/2} = 52 / (N \tan \alpha)^{1/2} = 44$ degrees

- 2) Radiation of a 2-wavelength, center-fed, square loop antenna lying in the xy-plane:
 - a) A sketch of the 2λ square loop antenna currents would look like this:

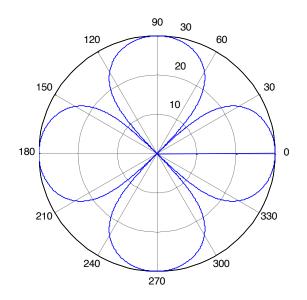


b) The radiation pattern of this loop is essentially that of 4 half-wave dipoles, laid on their sides in the xy-plane. With the center as the reference, here is a convenient table of the patterns and array factors for each element:

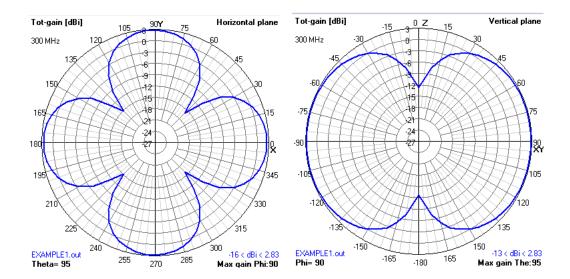
	Pattern	Array Factor			
Тор	$\cos(\pi/2\cos\phi)/\sin(\phi)$	$exp(j\pi/2 sin\phi)$			
Bottom	$-\cos(\pi/2\cos\phi)/\sin(\phi)$	$exp(-j\pi/2 \sin \phi)$			
Left	$-\cos(\pi/2 \sin \phi)/\cos(\phi)$	$\exp(j\pi/2\cos\phi)$			
Right	$\cos(\pi/2 \sin\phi)/\cos(\phi)$	$\exp(-j\pi/2\cos\phi)$			

To see the azimuth pattern, we plot in Matlab (with 30 dB offset to see nulls)

Azimuth Cut (MatlabTM code) phi=0:.001:2*pi; E1= cos(pi/2*cos(phi)).*sin(pi/2*sin(phi))./sin(phi);E2= cos(pi/2*sin(phi)).*sin(pi/2*cos(phi))./cos(phi);polar(phi,max(0,20*log10(abs(E1-E2))+30));



c) Here are the NEC inputs and outputs to double check:



	Symbols			Geometry		Source/Load		Freq./Ground		Others				
6	Geometry (Scaling=Meters)													
	Nr	Туре	Tag	Segs	X1	Y1	Z1	×2	Y2	Z2	Radius			
	1	Wire	1	9	.25	25	0	.25	.25	0	.0001			
	2	Wire	2	9	.25	.25	0	25	.25	0	.0001			
	3	Wire	3	9	25	.25	0	25	25	0	.0001			
	4	Wire	4	9	25	25	0	.25	25	0	.0001			